Lecture I: Coalescence of neutron-star binaries

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Outline of lecture I

- 1. Motivation & background for studying neutron-star (NS) mergers
- 2. Inspiral toward merger
- **3. The standard scenario of NS-NS mergers**
- 4. Scenarios of black hole-NS mergers
- 5. Gravitational waves from neutron-star mergers

Lecture II: Mass ejection and electromagnetic counterparts

1 Introduction: Motivation

Why we study NS mergers ?

Why it is interesting ?

Compact neutron-star binary formation --**Typical formation scenario** (Mapelli's talk) --



Once formed: Evolution of compact binaries is governed entirely by gravitational radiation

"Inspiral" Evolve by **GW** emission $t_{\rm GW} \gg t_{\rm orb}$ **Tidal deformation** at $r \sim 40-50 \text{ km}$ $t_{\rm GW} \sim t_{\rm orb}$ Dynamical evolution Merger sets in "Merger" at $f_{\rm GW} \sim 1 \text{ kHz}$

Compact NS-NS system in our galaxy

	Orbital Eccentricity				Each mass		$\times 10^8$ yrs
	PSR	P(day)	e	$m(M_{sun})$) M_1	M_2	$T_{\rm GW}$
1.	B1913+16	0.323	0.617	2.828	1.441	1.387	3.0
2.	B1534+12	0.421	0.274	2.678	1.333	1.345	27
3.	B2127+11C	0.335	0.681	2.71	1.35	1.36	2.2
4.	J0737-3039	0.102	0.088	2.58	1.34	1.25	0.86
5.	J1756-2251	0.32	0.181	2.57	1.34	1.23	17
6.	J1906+746	0.166	0.085	2.61	1.29	1.32	3.1
7.	J1913+1102	0.206	0.090	2.875	1.65	1.24	5.0
8.	J1757-1854	0.184	0.606	2.74	1.35	1.39	0.77
9.	J1946+2052	0.078	0.064	~2.50	~1.2	~1.3	0.46

➤ Total Mass of NS in compact NS-NS is in a narrow range, $m \approx 2.7 \pm 0.2 M_{sun} \text{ and for many, } m < 2.8 M_{sun}$

Properties of compact binary neutron stars in our galaxy

- First-born NS has relatively low magnetic field strength $(\sim 10^9 10^{10} \text{ G})$ and fairly short period $\sim 15 100 \text{ ms}$ reflecting the accretion history from companion, but current dimensionless spin is $<\sim 0.05$; not very large
- Second-born NS has typical magnetic field strength $(\sim 10^{12} \text{G})$ and typical period ~ 0.1 —a few second (slow)
- Estimated merger rate in our galaxy is 42^{+30}_{-14} Myr⁻¹ $\rightarrow 0.18^{+0.13}_{-0.06}$ (*D*/100Mpc)³ yr⁻¹ (Pol et al. 2018)
- ✓ cf, estimated merger rate according to O2 results is $1.54^{+3.20}_{-1.22}$ (*D*/100Mpc)³ yr⁻¹ (Abbott et al. 2017)
- In any case, we may expect >1/yr merger for D=200 Mpc

Why we study NS merger ?

A. Most promising sources of gravitational waves for advanced LIGO/VIRGO/KAGRA



Sensitivity of LIGO & VIRGO O2



Need accurate theoretical templates for detection and measurement

Why we study NS merger ?

- A. Most promising sources of gravitational waves for advanced LIGO/VIRGO/KAGRA
- **B.** Laboratory for high-density nuclear matter



Gravitational waves from NS mergers are likely to tell us NS radius



NS Radius measurement from GW170817 event



- Detector noise is still too large for accurate measurement but show it a promising method for near future
- Future needs accurate templates of gravitational waves

Why we study NS merger ?

- A. Most promising sources of gravitational waves for advanced LIGO/VIRGO/KAGRA
- **B.** Laboratory for high-density nuclear matter
- **C.** Promising origins of short-hard GRBs



Short γ-ray bursts (SGRBs)

- High luminosity $\sim 10^{49}$ —10⁵⁰ ergs/s
- Short: $\Delta t < \sim 2 \text{ sec (see next page)} \rightarrow \text{NS merger ?}$
- ★ Coincident detection of gravitational waves & SGRB will solve this issue, but jet is collimated so it would not be easily achieved → Theoretical prediction for observations of circumstantial evidence plays a role





GW170817 and a gamma-ray burst?

Energy is too small to regard it as GRB ~10⁴⁶ ergs/s LIGO, Virgo, and partners make first detection of gravitational waves and light from colliding neutron stars Gamma-ray by Fermi/GBM





Gravitational waves by LIGO/Livingstone Detection of GWs from *inspiraling* neutron stars



Synchrotron emission from relativistic outflow

Superluminal motion of radio counterpart of GW170817: an evidence for relativistic jet



However, still no direct evidence for highly relativistic jet. Coincident detection of GW and GRB remains a future issue. RA offset (mas)

Why we study NS merger ?

- A. Most promising sources of gravitational waves for advanced LIGO/VIRGO/KAGRA
- **B.** Laboratory for high-density nuclear matter
- **C.** Promising origins of short-hard GRBs
- **D.** Promising site for heavy elements produced by rapid neutron-capture process (r-process)



Origin of heavy elements?



Origin of heavy elements for A >~ 80

- Mass is likely to be increased by neutron capture
- Slow process: $\tau_{\beta} < \tau_{n \text{ capture}}$
- \checkmark This is believed to occur in an evolved star
- **Rapid process:** $\tau_{\beta} > \tau_{n \text{ capture}}$
- \checkmark The origin for this is still unsolved
- ✓ Neutron-star mergers are among the promising candidates



Origin of r-process elements (gold, silver, platinum) ?

- People long believed that core-collapse supernovae (CCS) would be the synthesis site for r-process elements (textbooks say usually so)
- Latest CCS simulations indicate *heavy r-elements are unlikely to be synthesized* (Wanajo, Janka, Roberts ...)
- **NS merger is another potential candidate** (Lattimer & Schramm 1974, Eichler et al. 1989)







Summary of Introduction

Many unsolved issues are being solved by observing gravitational waves & electromagnetic signals from neutron-star mergers & Numerical relativity plays a key role

in this business

2 Inspiral toward merger

• Consider a binary in a large orbital separation, which evolves by gravitational-radiation reaction



For distant orbits, compact stars can be treated as point particles (we do not care BH or NS)

Evolution of two point masses in circular orbits by gravitational radiation

Newtonian motion + Quadrupole formula

Quadrupole formula gives

(E.g., Shapiro & Teukolsky)

$$\left[\frac{dE}{dt}\right]_{\rm GW} = -\frac{32}{5} \frac{G^4}{c^5} \left(\frac{\mu}{M}\right)^2 \left(\frac{M}{a}\right)^5$$

Energy balance gives evolution eq. of a

$$E = -\frac{GM\mu}{2a} \implies \frac{dE}{dt} = \frac{GM\mu}{2a^2} \frac{da}{dt} = \left[\frac{dE}{dt}\right]_{GW}$$
$$\implies \frac{da}{dt} = -\frac{64}{5} \frac{G^3 M^2 \mu}{c^5 a^3}$$

 $M = m_1 + m_2$: Total mass, $\mu = m_1 m_2 / M$: Reduced mass

$$\eta = \frac{\mu}{M} = \frac{m_1 m_2}{M^2}$$
: Symmetric mass ratio

Continued

$$\frac{da}{dt} = -\frac{64}{5} \frac{G^3 M^2 \mu}{c^5 a^3} \Rightarrow a^4 = a_0^4 - \frac{256}{5} \frac{G^3 M^2 \mu}{c^5} t$$

$$\Rightarrow \text{Coalescence time} \quad t_{gw} = \frac{5}{256} \frac{c^5 a_0^4}{G^3 M^2 \mu} = \frac{5}{256 \pi^{8/3}} \frac{c^5 f_0^{-8/3}}{G^{5/3} M^{5/3}}$$

where $f_0 = \frac{1}{\pi} \sqrt{\frac{GM}{a_0^3}} \quad \& \quad M = M^{2/5} \mu^{3/5}$: chirp mass

$$t_{gw} = 94 \left(\frac{a_0}{400 \text{ km}}\right)^4 \left(\frac{M}{2.8M_{\odot}}\right)^{-3} \left(\frac{\eta}{1/4}\right)^{-1} \text{sec}:$$

 $f_0 = 24.3 \text{ Hz} \left(\frac{a_0}{400 \text{ km}}\right)^{-3/2} \left(\frac{M}{2.8M_{\odot}}\right)^{1/2}$

 $t_{\rm gw}$ & f_0 are observable

Ratio of radiation reaction time to orbital period

$$\frac{t_{\text{GW}}}{P_0} = \frac{5}{512\pi} \left(\frac{c^2 a}{GM}\right)^{5/2} \left(\frac{M}{\mu}\right) \approx 1.1 \left(\frac{c^2 a}{6GM}\right)^{5/2} \left(\frac{M}{4\mu}\right) > 1$$

for $a > \frac{6GM}{c^2} = 24.8 \text{km} \left(\frac{M}{2.8M_{\odot}}\right)$ Note: $\frac{\mu}{M} \le \frac{1}{4}$

Binary orbits are mostly adiabatic (not dynamical)
 ➢ For NS-NS, the radiation reaction timescale is always longer than the orbital period
 → The orbits are always adiabatic (quasi-circular)
 ➢ For spinning BH-NS, for which *a* can be smaller than 6*GM*/*c*², the radiation reaction timescale may be shorter than the orbital period before ISCO



Gravitational waves in the late inspiral phase of binary neutron stars



Chirp signal: Quasi-periodic but amplitude and frequency of gravitational waves increase with time

LIGO & VIRGO O2 @ GW170814, GW170817



Post-Newtonian corrections cannot be neglected

$$t_{gw} = \frac{5}{256\pi^{8/3}} \frac{c^5 f_0^{-8/3}}{G^{5/3} M^{5/3}} \left[1 + \left(\frac{743}{252} + \frac{11\eta}{3}\right) x - \frac{32\pi}{5} x^{3/2} + O(x^2) \right]$$

$$x = \left(\pi GMc^{-3} f_0\right)^{2/3} = 0.01191 \left(\frac{M}{2.8M_{\odot}}\right)^{2/3} \left(\frac{f_0}{30Hz}\right)^{2/3}$$

Post-Newtonian parameter
PN correction = A few % correction
Assume no spin

GW170817: initial announcement

E.g., if
$$t_{gw} = 74 \text{ sec } \& f_0 = 27 \text{ Hz}$$
, then $M \approx 1.19 M_{\odot}$

 $\eta \approx 0.245 - 0.25$ for typical binary neutron stars

An important property of chirp mass

$$M := M^{2/5} \mu^{3/5} = \frac{\left(m_1 m_2\right)^{3/5}}{M^{1/5}} = M \eta^{3/5} : \eta = \frac{\mu}{M} \le \frac{1}{4}$$
$$\Rightarrow M = M \eta^{-3/5} \ge 4^{3/5} M \left(\frac{\eta}{1/4}\right)^{-3/5} = 2.2974 M \left(\frac{\eta}{1/4}\right)^{-3/5}$$
$$\therefore M = 1.19 M_{\odot} \Rightarrow M \ge 2.73 M_{\odot} \left(\frac{\eta}{1/4}\right)^{-3/5} \left(\frac{M}{1.19 M_{\odot}}\right)$$

Chirp mass gives *the lower bound of the total mass*

Post-Newtonian corrections up to 1.5PN order

$$t_{gw} = \frac{5}{256\pi^{8/3}} \frac{c^5 f_0^{-8/3}}{G^{5/3} M^{5/3}} \left[1 + \left(\frac{743}{252} + \frac{11\eta}{3}\right) x - \frac{32\pi}{5} x^{3/2} + ASx^{3/2} \right]$$
$$x = \left(\pi GMc^{-3} f_0\right)^{2/3} = 0.01191 \left(\frac{M}{2.8M_{\odot}}\right)^{2/3} \left(\frac{f_0}{30Hz}\right)^{2/3}$$
$$\chi = \frac{cS_1}{GM_1^2} + \frac{cS_2}{GM_2^2}: \text{ spin parameter}, \quad A: \text{ constant of O(1)}$$

Degeneracy between χ and η occurs \rightarrow Constraint to mass ratio is not very strong (Cutler & Flanagan 1994)

GW170817: Assuming $|\chi| < 0.05$: reasonable assumption

$$0.7 \le \frac{M_2}{M_1} \le 1$$
 or $0.242 \le \eta \le 0.250$ (2 σ level)

Constraint for each mass of GW170817


3 Standard scenario for NS-NS merger in NR

- Constraints from radio-telescope observations:
- Approximately 2 solar-mass neutron stars exist
 → equation of state (EOS) for NS has to be stiff
- 2. Typical total mass of binary neutron stars $\rightarrow \sim 2.5$ —2.8 solar mass (but higher mass exists)
- Merger typically results in high-mass neutron stars (not BH) (Shibata et al. 2005, 2006, Hotokezaka et al. 2011,... many work)
- Difference in EOS is reflected in gravitational waves emitted from the late inspiral to merger phases (Shibata et al. 2005, Hotokezaka et al. 2011, Bauswein 2013, Bernuzzi et al. 2015.. many similar work of similar conclusion)
- During the merger, neutron-rich matter is dynamically ejected with mass of 0.001—0.01 solar mass (Hotokezaka et al. 2013, Bauswein et al. 2013, Sekiguchi et al. 2015,.....)

Current understanding of NS-NS

Merger of $1.35-1.35M_{sun}$ NS with four EOSs

APR4: *R*=11.1km

ALF2: *R*=12.4km

All EOSs satisfy $M_{\rm max} > 2M_{\rm sun}$

H4: *R*=13.6km

MS1: *R*=14.5km







Dependence on EOS and total mass



Threshold mass for the prompt collapse to a BH



Compactness of non-rotating Maximum mass star

Possible fates of NS-NS mergers



Note: for J1913+1102, total mass~2.88 solar mass

Merger remnants and their evolution

- Remnant is either a massive neutron star (MNS) or a black hole (BH), but MNS is more likely
- ✓ In either case, in general, a massive torus is likely to surround the central object
- Remnant MNS and torus are expected to be differentially rotating and strongly magnetized
 → Subject to magneto-hydrodynamics effects such as magnetorotational instability and magnetic winding
- MHD and resulting viscous effects are likely to be the driving force for the evolution of merger remnants
 → Need MHD/viscous simulations in NR (later)



Numerical relativity plays an important role for exploration

4 Scenarios for BH-NS merger

- Almost no observational constraints but for black hole mass which is likely >~ 5M_{sun} −− → Wide parameter space has to be explored
- Fate = two possibilities:
- 1. Tidal disruption of NS
- 2. Plunge of NS into BH



- For tidal disruption
 Large NS Radius or
- ✤ Small BH mass or
- * <u>High corotation spin</u>
 - is necessary

GW170817 indicates that NS radius would not be very large



Mode detail about tidal force



BH-NS with aligned BH spin



BH-NS with aligned BH spin



For tidal disruption of plausible BH-NS with $M_{\rm NS}$ =1.35 $M_{\rm sun}$, $R_{\rm NS}$ ~ 12 km, & $M_{\rm BH}$ > 6 $M_{\rm sun}$



High BH spin is necessary $> \sim 0.5$

Foucart et al. ('13,14,...); Kyutoku et al. ('15)

$$\begin{split} 1 \leq 0.1 \left(\frac{6M_{\rm BH}}{r_{\rm ISCO}}\right)^3 \left(\frac{7M_{\rm NS}}{M_{\rm BH}}\right)^2 \left(\frac{R_{\rm NS}}{6M_{\rm NS}}\right)^3 \left(\frac{\alpha}{1.7}\right)^3 \\ \left(M_{\rm BH} \leq r_{\rm ISCO} \leq 9M_{\rm BH}\right) \end{split}$$

Natural conclusion: BH-disk systems formed as a remnant should have a high BH spin

ISCO radius as a function of *a/M*



Merger remnants

- Remnant is either a black hole surrounded by a torus (or simply BH)
- Torus is subject to Vi magneto-hydrodynamics instabilities such as MRI
- The resulting viscous effects are likely to be the driving force for the evolution of the merger remnants (Fernandez& Metzger '13-15, Just et al. '15)



BH + torus

5 Gravitational waves from neutron-star mergers: Promising experimental site for exploring neutron-star equation of state



Imprint of EOS on late inspiral waveform

In a binary system, the tides raised on each NS depend on the **deformability** of that NS:

Stiff EOS = lager radius = large deformability



Soft EOS = small radius = small deformability



Courtesy J. Friedman

$$\phi \sim -\frac{GM}{r} - \frac{3GI_{ij}^{TF}n^{i}n^{j}}{2r^{3}} : I_{ij}^{TF} = O\left(r^{-3}\right) \quad \text{Lai et al.}$$
(1994)

Tidal deformability

Newtonian potential



 Λ : dimensionless tidal deformability of O(100)-O(1000) for neutron stars of mass ~1.4 solar mass

<u>Tanja Hinderer</u> will talk more details: Note: I here do not care numerical factor

Gravitational waveform from NS-NS: hybrid waveforms (1.35-1.35 solar mass)



Hotokezaka et al. 2016 (see also many efforts by Bernuzzi,...2011–)



GW170817

- $100 < \Lambda < 800$ at 2σ level (for $\chi < 0.05$) $\rightarrow \sim 11 \text{ km} < R < \sim 13 \text{ km}$
- Error is still not small: To get stronger constraints for Λ, we may need an event of high SNR >> 30 ?
 In particular, improvement of the sensitivity in the *f* > 400 Hz band is required
- Better template for numerical relativity is also necessary in future [current systematic error is O(10) and smaller than by the detector's noise]
- Independent data analysis by many groups would be necessary and quite important (when analyzing noisy data)



Clear correlation between peak and radius



Current issues for NS-NS (theoretical side)

- For late inspiral phase (*clean system*): Need to construct *accurate measurement templates*
 → high-resolution numerical relativity simulations for a wide range of (m₁, m₂, Λ₁, Λ₂, s₁, s₂) + sophisticated modeling (e.g., TEOB) are necessary (effort is ongoing by several groups)
- For the post-merger phase (*many physics play roles*):
 Careful *physical* modeling is necessary:
 Most of previous studies have neglected systematics
 which could be significant (→ section 5c)

5b BH-NS: Signal of tidal disruption



BH-NS Fourier spectrum





Current issues for BH-NS (theoretical side)

- Numerical relativity is obviously necessary
- A wide parameter space: mass*2, black hole spin, equation of state, spin misalignment
- There are only two groups currently working in this
- More simulations are urgently required

5c Viscous hydrodynamics for post-merger of NS-NS

Physical state for the merger remnants ?

- Massive neutron stars (MNS) are typical remnants
- MNS are *magnetized* & *differentially rotating* → subject to MHD instabilities
- MHD simulations suggest that magnetic fields would be significantly amplified by Kelvin-Helmholtz instability and subsequent quick winding (e.g., Price & Rosswog, '06, Kiuchi et al. '14, '15, '17)
 - \rightarrow turbulence could be induced

High-resolution GRMHD for NS-NS



Kelvin-Helmholtz instability:
→ Magnetic field should be amplified by winding
→ Quick angular momentum transport ? (not yet seen)

Magnetic energy: Resolution dependence

B field would be amplified in $\Delta t \ll 1 \text{ ms} \rightarrow \text{turbulence}$?



Purely hydrodynamics or radiation hydrodynamics is not likely to be appropriate for this problem



Shear motion at the merger → huge number of vortexes are formed and magnetic field is quickly amplified

 \rightarrow further shear motion \rightarrow turbulence

→ turbulent (effectively global) viscosity



Current status in this issue

- High-resolution MHD simulation indicates that
 obviously better resolved simulation is needed
 → But it is not feasible due to the restriction of the
 computational resources (in future we have to do)
- One alternative for exploring the possibilities is GR viscous hydrodynamics (Shibata et al. '17)

 Note that we do not know whether viscous hydrodynamics can appropriately describe the state resulting from turbulence fluid: But, viscous hydrodynamics would be able to explore one possible limiting case.

3D viscous hydrodynamics simulation for remnant of binary neutron star merger

(Shibata & Kiuchi PRD 2017)

- Merger remnant is used as initial condition
- ✓ H4 EOS (stiff EOS: *R*=13.5km)
- \checkmark Mass = 1.35-1.35 solar mass
- Simulation is started at \sim 5ms after the onset of merger
- v is set to be $\alpha_v c_s H (H \sim 10 \text{ km})$: α model
- α_v parameter = 0.01—0.02 taking into account the latest MHD simulation results for accretion disks (e.g., by Jim Stone and his colleagues)

See also recent work by Radice (2017)




Gravitational waveforms



Amplitude of gravitational waves



Spectrum



Short summary on GW and EOS

- Late inspiral phase of neutron-star binaries is a promising experimental field for NS EOS
- Post-merger GWs of NS-NS leading to MNS are also invaluable but need better sensitivity of detectors for detection (target for 3rd generation detectors ?)
- However, note many uncertainties in the post-merger GWs → need serious effort for better modeling to reduce systematics in theoretical waveforms
- If MHD turbulence \approx viscous hydrodynamics with $\alpha_v \ge 0.01$, evolution of merger remnant of NS-NS would be highly different from that by ideal fluid dynamics: post-merger gravitational waves could be quite weak
- How large is α_v ?

 \rightarrow High-resolution MHD is necessary in the future

Lecture II: Mass ejection and electromagnetic counterparts of neutron-star mergers **Masaru Shibata**

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Outline

- I. Introduction: Why mass ejection is important?
- II. Short summary of typical scenarios for merger and mass ejection of NS-NS merger
- III. Dynamical mass ejection
- IV. Post-merger mass ejection
- V. Next events ?
- VI. Unsolved issues

I Introduction: Why mass ejection from neutron-star binaries is important ?

- 1. Electromagnetic counterparts of NS merger: Key for confirming gravitational-wave detection & important for getting information of GW source
- 2. Promising site of heavy r-process nucleosynthesis (in particular after detecting GW170817)



kilonova Scenario

(Li-Paczyski 1998, Metzger et al. 2010)

Neutron-rich ejecta τ_{n-capture} < τ_{β-decay}
 → Rapid-neutron-capture nucleosynthesis

 (Lattimer-Schramm '74, Symbalisty-Schramm '82)
 → Production of unstable heavy nuclei (A ≥ 90)

R-process nucleosynthesis: white circles=stable nuclei



Animation by S. Wanajo

Kilonova Scenario

(Li-Paczyski 1998, Metzger et al. 2010)

• Neutron-rich ejecta $\tau_{n-capture} < \tau_{\beta-decay}$ **> rapid-neutron-capture nucleosynthesis** (Lattimer-Schramm '74, Symbalisty-Schramm '82) **> Production of unstable heavy nuclei (A ≥ 90) >** β -decay/fission **>** Heating ejecta **>** After adiabatic expansion $\tau_{photon diffusion} \leq \tau_{ejecta expansion}$ **>** Optical ~ IR emission

Kilonova luminosity & peak time

$$\rho = \frac{3M}{4\pi r^3}, \quad v = \frac{r}{t}, \quad \kappa : \text{opacity} \qquad \text{Assume uniformly expanding spherical ejecta}$$

diffusion time: $t_{diff} = \frac{1}{\kappa\rho c} \times (\kappa\rho r)^2 = \kappa\rho r^2 c^{-1}$
If $t > t_{diff}$ photons diffuse out and ejecta shine, otherwise low luminosity. Peak comes at $t = t_{diff}$:
 $\Rightarrow \kappa\rho r^2 c^{-1} = \frac{r}{v} \Rightarrow \frac{3M\kappa}{4\pi cr} = \frac{r}{v} \Rightarrow r = \sqrt{\frac{3\kappa Mv}{4\pi c}} \Rightarrow t_{peak} = \sqrt{\frac{3\kappa M}{4\pi cv}}$
 $L_{peak} = f \frac{Mc^2}{t_{peak}} = fc^2 \sqrt{\frac{4\pi cv M}{3\kappa}}$ e.g., Metzger et al. MNRAS 2010

f = radioactive heating mass fraction ~ 10⁻⁶@1 day and in proportional approximately to $t^{-1.3}$



Peak luminosity & time of kilonova

(Li-Paczyski 1998, Metzger et al. 2010)

 10^{-6} at ~ 1 day: Depends on time

$$t_{\rm diffusion} \sim t_{\rm expansion}$$

$$L_{\text{peak}} \sim 2 \times 10^{41} \text{ ergs/s} \left(\frac{M}{0.01M_{\odot}}\right)^{1/2} \left(\frac{v}{0.2c}\right)^{1/2} \left(\frac{\kappa}{1 \text{ cm}^2 / \text{g}}\right)^{-1/2} \left(\frac{f}{1 \times 10^{-6}}\right)$$

at $t \sim 1 \text{ days} \left(\frac{M}{0.01M_{\odot}}\right)^{1/2} \left(\frac{v}{0.2c}\right)^{-1/2} \left(\frac{\kappa}{1 \text{ cm}^2 / \text{g}}\right)^{1/2}$

Depend on mass, velocity, & opacity of ejecta

3 Key quantities and light curve



Tanaka & Hotokezaka 2013

Among three, opacity has strongest impact

- $M \sim O(0.001) O(0.01)$ solar mass
- $v \sim O(0.1)c$
- $\kappa \sim 0.1$ —10 cm²/g: change by two orders of mag

$$\begin{split} L_{\text{peak}} &\sim 7 \times 10^{40} \text{ ergs/s} \left(\frac{M}{0.01 M_{\odot}} \right)^{1/2} \left(\frac{v}{0.2c} \right)^{1/2} \left(\frac{\kappa}{10 \text{ cm}^2 / \text{g}} \right)^{-1/2} \left(\frac{f}{1 \times 10^{-6}} \right) \\ \text{at} \quad t \sim 3.5 \text{ days} \left(\frac{M}{0.01 M_{\odot}} \right)^{1/2} \left(\frac{v}{0.2c} \right)^{-1/2} \left(\frac{\kappa}{10 \text{ cm}^2 / \text{g}} \right)^{1/2} \\ L_{\text{peak}} &\sim 7 \times 10^{41} \text{ ergs/s} \left(\frac{M}{0.01 M_{\odot}} \right)^{1/2} \left(\frac{v}{0.2c} \right)^{1/2} \left(\frac{\kappa}{0.1 \text{ cm}^2 / \text{g}} \right)^{-1/2} \left(\frac{f}{1 \times 10^{-6}} \right) \\ \text{at} \quad t \sim 0.35 \text{ days} \left(\frac{M}{0.01 M_{\odot}} \right)^{1/2} \left(\frac{v}{0.2c} \right)^{-1/2} \left(\frac{\kappa}{0.1 \text{ cm}^2 / \text{g}} \right)^{1/2} \end{split}$$

Appreciable difference





Opacity depends strongly on Y_e

(M. Tanaka et al., 1708.09101)





II Short summary for typical scenarios of merger and mass ejection of neutron-star merger

Possible outcomes of NS-NS mergers



Note: total mass of GW170817 is 2.73-2.78 M_{sun}

Mass ejection scenario (NS-NS typical case)



Model of mass ejection from GW170817 based on numerical relativity

Observer <30 degree

Viscous effect

Massive neutron star

+ torus

Massive ejecta from remnant $\sim 0.03 M_{\text{syntamical ejecta}} \sim 0.01 M_{\text{sun}}$ Dynamical ejecta (ejected for $t < \sim 10 \text{ ms}$) $\sim 0.01 M_{\text{sun}}$

High-spin / small-mass BH-NS or High total mass & asymmetric NS-NS



III Dynamical mass ejection

- For exploring this, we need merger simulations in numerical relativity: General relativity, hydrodynamics, neutrino radiation, & possibly magneto-hydrodynamics play key roles
- In the following example, we solve Einstein's and neutrino radiation hydrodynamics equations
- Radiation transport: leakage + M1, no momentumspace dependence is taken into account

What one solves is

$$G_{\mu\nu} = 8\pi \frac{G}{c^4} T_{\mu\nu} \qquad \text{Ei}_{3}$$
$$\nabla_{\mu} T_{\nu}^{\mu} = 0$$
$$\nabla_{\mu} \left(\rho u^{\mu}\right) = 0 \qquad \text{M}$$

Einstein's equation with 3+1 (BSSN) formalism

Magneto/viscous hydrodynamics

 $\frac{Df}{Dt} = \dot{f}_{\rm int}$

Neutrino radiation transfer with a very approximate level Should be improved in future



Sekiguchi et al. 2016

NS-NS: Neutrino-radiation hydro simulation Stiff EOS (DD2, *R*~13.2 km): 1.30-1.40 M_{sun} Rest-mass density



Sekiguchi et al. 2016

Three mechanisms for mass ejection

- **Tidal torque**: Gravitational torque associated with non-axisymmetric structure of self-gravitating objects. This effect is important irrespective of NS-NS/BH-NS and NS mass, EOS, etc.
- Shock heating: Thermal pressure resulting from matter heated by shocks (collision of two NSs and NS with surrounding matter): For NS-NS with compact neutron stars, this effect is more appreciable
- Neutrino heating: Neutrino radiation pressure; this is minor effect for mass ejection but important as a weak interaction source (change Y_e): A. Perego will talk more details.

Dynamical ejecta mass by high-res simulation



Summary for dynamical ejecta mass in NR

Dynamical ejecta mass depends significantly on masses

Total mass	Remnant	Nearly equal mass	Unequal mass: $m_1/m_2 < \sim 0.8$
Low <~ 2.6 <i>M</i> _{sun}	SupramassiveNS (long-lived NS)	$M_{\rm eje} \sim 10^{-3} M_{\rm sun}$	$M_{\rm eje} \sim 10^{-2.5} M_{\rm sun}$
Middle $\sim 2.7 M_{sun}$	HypermassiveNS	$M_{\rm eje} \sim 10^{-3} - 10^{-2} M_{\rm sun}$	$M_{\rm eje} \sim 10^{-2.5}$ -10 ⁻²
	→ BH	(EOS dependent)	$M_{\rm sun}$
High	Prompt BH	$M_{\rm eje} < 10^{-3} M_{\rm sun}$ (also tiny disk)	$M_{ m eje} \sim 10^{-3}$ -10 ⁻²
>∼ 2.8 M _{sun}	formation		$M_{ m sun}$

e.g, Hotokezaka+ '13, Sekiguchi+ '15, Palenzela+ '15, Radice+ '16, Foucart et al. '16, Dietlich+ '17, many similar recently

Typical average velocity: 0.15—0.25 c
A fraction of ejecta has high velocity up to ~0.8 c

Ejecta velocity distribution: high v is present



Neutrino-radiation hydrodynamics simulation SFHo ($R \sim 11.9$ km): 1.30-1.40 M_{sun}



Green = neutron rich

Sekiguchi et al. (2016)

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Importance of weak interaction on neutron richness

High temperature $\Rightarrow \gamma \gamma \rightarrow e^- + e^+$

$$\Rightarrow n + e^+ \Leftrightarrow p + \overline{v}_e \& p + e^- \Leftrightarrow n + v_e$$

Neutrino irradiation

$$\Rightarrow n + v_e \rightarrow p + e^- \& p + \overline{v}_e \rightarrow n + e^+$$

For long-term neutrino irradiation, n-p ratio approaches a chemical equilibrium

$$\frac{[p]}{[n]+[p]} \approx \left[1 + \frac{L_{\overline{v_e}}}{L_{v_e}} \frac{\overline{\varepsilon_{\overline{v_e}}} - 2Q}{\overline{\varepsilon_{v_e}} + 2Q}\right]^{-1} : Q = \left(m_n - m_p\right)c^2 \approx 1.293 \text{ MeV}$$

Qian & Woosley 1996
Electron fraction profile: Broad



Average depends on EOS but typically peak at 0.2–0.3
 Broad distribution irrespective of EOS

Neutrino-radiation hydrodynamics simulation

SFHo (*R*~11.9 km): 1.25-1.55 M_{sun}

0.002 [ms]





Green = neutron rich

Sekiguchi et al.

1000

Electron fraction distribution: Broad irrespective of EOS and mass → Good for producing a variety of r-elements





BH-NS merger (SFHo EOS: density) $M_{\rm BH}$ =5.4M_{sun}, $M_{\rm NS}$ =1.35M_{sun}, $a_{\rm BH}$ =0.75



Kyutoku et al. 2018; Also many pioneer works by F. Foucart et al.





Electron fraction of ejecta



electron fraction

- Quite low electron fraction irrespective of EOS (Foucart, Duez et al., '13—18, Kyutoku '18)
- Tiny neutrino irradiation, weak shock heating
- Likely to primarily synthesize heavy r-elements

Summary of dynamical ejecta properties in NR

◆ Mass: *M*_{eje}

- <u>NS-NS</u>: ~10⁻³—10⁻² M_{sun} depending on total mass, mass ratio, & EOS (Hotokezaka+ 13, Bauswein+ 13, Sekiguchi+ 15,16, Radice+ 16, Lehner+ 15,16.....many others)
- <u>BH-NS</u>: 0—0.05 M_{sun} typically M_{eje} ~ 0.2 M_{disk} High BH spin is the key (for NS radius < 13km) (Foucart+ 13-15, Kyutoku+ '15, 18)

• Electron fraction: Y_e

- <u>NS-NS</u>: Broad distribution with $\langle Y_e \rangle \sim 0.2$ —0.3: For highly asymmetric case, $\langle Y_e \rangle < 0.2$: For prompt BH formation case, $Y_e < \sim 0.1$ $\kappa \sim 10 \text{ cm}^2/\text{g}$
- <u>BH-NS</u>: Peak at $Y_e < 0.1$ (Foucart+ '13-18, Kyutoku+ '18)
- Typical velocity: 0.15-0.25 c; max could be ~ 0.8 c

Kilonova by dynamical ejecta for NS/BH-NS

An appreciable component has Y_e < 0.15
→ Very good for r-process nucleosynthesis, and
→ K ~ 10 cm²/g : large value
Mass: ~ 0.001—0.01 M_{sun} : at most ~ 0.01M_{sun}
* Average" velocity: 0.15—0.25c

$$L_{\max} \sim \frac{7 \times 10^{40} \text{ ergs/s}}{\text{dim}} \left(\frac{M}{0.01M_{\odot}} \right)^{1/2} \left(\frac{v}{0.2c} \right)^{1/2} \left(\frac{\kappa}{10 \text{ cm}^2 / \text{g}} \right)^{-1/2} \left(\frac{f_{\text{r-proc}}}{10^{-6}} \right)$$

at $t \sim 3.5 \text{ days} \left(\frac{M}{0.01M_{\odot}} \right)^{1/2} \left(\frac{v}{0.2c} \right)^{-1/2} \left(\frac{\kappa}{10 \text{ cm}^2 / \text{g}} \right)^{1/2}$



Cannot reproduce early shining but late infrared

EM counterpart of GW170817

- Peak time for the optical band is $\sim 1 \text{ day}$
- Peak luminosity is $\sim 7 \times 10^{41}$ ergs/s

Dynamical ejecta alone cannot describe EM counterpart of GW170817 because of too high opacity and low ejecta mass → It was shown that something else was present

But, dynamical ejecta could still describe the late-phase red component → Evidence for r-process nucleosynthesis

IV Post-merger mass ejection

- MHD/viscous effects on *torus* are likely to play a key role for mass ejection
 (Fernandez-Metzger+ '13-15, Perego et al. '14, Just et al. '15, Siegel-Metzger '17, Fujibayashi et al. '18)
- Two cases are present: BH + torus & MNS + torus
- 1. Typical remnants for NS+NS= MNS + torus
- 2. For BH+NS or massive NS-NS, the remnant is **BH + torus**
- The presence of MNS can give significant difference on neutron richness of ejecta

Basic Picture for BH-torus

(Fernandez-Metzger '13,14, Just '15,)



Viscosity is likely to drive evolution: Viscous ejection of mass 10-30% of torus mass after temperature decreases below ~ 1 MeV (neutrino cooling becomes inefficient) Y_e freeze out \rightarrow Low Y_e is preserved (good r-process)

Ejecta from BH + disk is likely to have low Y_e



Long-term viscous ejecta from torus: NS-NS case

• The presence of a strong neutrino emitter like MNS would change Y_e significantly

(Metzger-Fernanndez '14, Perego+ '14, Fujibayashi+ '18)



2: NS is not absorber of matter
→ More ejecta
3: MNS in differential rotation can be additional engine



Kelvin-Helmholtz instability:

- → Magnetic field should be amplified by winding
- → Turbulence would be enhanced

Viscous neutrino radiation hydrodynamics for post-merger MNS

(S. Fujibayashi et al. ApJ 2018)

- Employ covariant & causal GR viscous hydro (following Israel & Steward '79)
- Initial condition: Remnant of NS-NS merger with mass $1.35-1.35M_{sun}$
- Axial symmetry is assumed (to evolve for seconds)
- Alpha viscosity; $v = \alpha_v c_s H$ with $\alpha_v = 0.04$ and H = 10 km
- EOS: DD2 ($R_{\rm NS} = 13.2 \, {\rm km}$)

Viscous time scale of MNS:
$$v = \alpha_v c_s H \sim \alpha_v c_s R$$

 $\tau_v \approx \frac{R^2}{v} = \frac{1}{\alpha_v \Omega} \frac{\left(R\Omega\right)}{c_s} \sim 10 \left(\frac{\alpha_v}{0.02}\right)^{-1} \left(\frac{\Omega}{5000 \text{ rad/s}}\right)^{-1} \frac{\left(R\Omega\right)}{c_s} \text{ms}$

Viscous neutrino radiation hydrodynamics for post-merger MNS (S. Fujibayashi et al. ApJ 2018)

Wide $1500 \times 1500 \text{ km}$ $300 \times 300 \text{ km}$ Density in x-z plane

Evolution of angular velocity (α_{vis} =0.01)



Viscous time scale for disks



 \sim 1 second evolution

Viscous-rad hydrodynamics for post-merger MNS (S. Fujibayashi et al. ApJ 2018)

 $M \sim 0.05$ solar mass, $v \sim 0.05$ c Substantial fraction of disk mass is ejected Electron fraction is not very low



Electron fraction





Viscosity on only for $d\Omega/dR < 0$ (mimicking MRI)





Post-merger ejecta properties

\bullet Mass: M_{eie}

- <u>BH formation case</u>: $\sim 10^{-3} 10^{-2} M_{sun}$ (Fernandez & Metzger '13 —15, Just+ '15, Siegel-Metzger '17, 18, Fernandez '18)
- <u>MNS formation case</u>: > $10^{-2} M_{sun}$ (Metzger & Fernandez '14, Fujibayashi+'18)

• Electron fraction: Y_{e}

- <u>BH formation case</u>: $Y_{e} \sim 0.1 0.3 \rightarrow$ efficient r-process nucleosynthesis & high opacity (κ ~10 cm²/g, red)
- <u>MNS formation case</u>: $Y_{e} > 0.25 \rightarrow$ light r-process, low opacity ($\kappa \sim 0.1 \text{ cm}^2/\text{g}$, blue)



◆ Typical velocity: < 0.1 c; magnetic wind/MNS viscous effect may enhance up to ~ 0.2 c (Siegel & Metzger '17, 18, Fernandez+ '18, Fujibayashi+ '18)

Peak luminosity and peak time for the post-merger ejecta with MNS

$$L_{\max} \sim \frac{1 \times 10^{42} \text{ ergs/s}}{\text{bright}} \left(\frac{M}{0.04M_{\odot}} \right)^{1/2} \left(\frac{v}{0.05c} \right)^{1/2} \left(\frac{\kappa}{0.1 \text{ cm}^2 / \text{g}} \right)^{-1/2} \left(\frac{f_{\text{r-proc}}}{10^{-6}} \right)$$

at $t \sim \frac{1 \text{ days}}{\text{fast}} \left(\frac{M}{0.04M_{\odot}} \right)^{1/2} \left(\frac{v}{0.05c} \right)^{-1/2} \left(\frac{\kappa}{0.1 \text{ cm}^2 / \text{g}} \right)^{1/2}$
 \downarrow
 $L_{\max} \sim 10^{42} \text{ ergs/s} \quad \& \quad t \sim 1 \text{ days} \text{ for } M \sim 4 \times 10^{-2} M_{\odot}$

Shine (peak) at one day

Two components model for GW170817





Radiation transfer simulation: good agreement



Looks fast (apparently)



Peak luminosity and peak time for the post-merger ejecta with **BH**

$$L_{\max} \sim \frac{1 \times 10^{41} \text{ ergs/s}}{\text{Not bright}} \left(\frac{M}{0.04M_{\odot}} \right)^{1/2} \left(\frac{v}{0.05c} \right)^{1/2} \left(\frac{\kappa}{10 \text{ cm}^2 / \text{g}} \right)^{-1/2} \left(\frac{f_{\text{r-proc}}}{10^{-6}} \right)$$

at $t \sim \frac{10 \text{ days}}{10 \text{ days}} \left(\frac{M}{0.04M_{\odot}} \right)^{1/2} \left(\frac{v}{0.05c} \right)^{-1/2} \left(\frac{\kappa}{10 \text{ cm}^2 / \text{g}} \right)^{1/2}$
 \downarrow

 $L_{\rm max} \sim 10^{41} \text{ ergs/s} \quad \& t \sim 10 \text{ days for } M \sim 4 \times 10^{-2} M_{\odot}$

- Shine (peak) at 10 day
- Red

What will be the next event?

Mass & Y_e could be varied both for dynamical and post-merger ejecta

Dynamical ejecta properties in NR

• Mass: M_{eje}

- <u>NS-NS</u>: ~10⁻⁴—10⁻² *M*_{sun} depending on total mass, mass ratio, & NS radius (Hotokezaka+ 13, Bauswein+ 13, Sekiguchi+ 15,16, Radice+ 16, Lehner+ 15,16.....many others)
- <u>BH-NS</u>: **0**—**0.1** *M*_{sun} depending on mass, spin, NS radius: **High BH spin is the keys** (Foucart+ 13-15, Kyutoku+ '15, 18)

• Electron fraction: Y_e

- <u>NS-NS</u>: MNS formation case, $Y_e = 0.1 0.5$ For prompt BH formation case, $Y_e < \sim 0.1$ $\kappa \sim 10 \text{ cm}^2/\text{g}$
- <u>BH-NS</u>: $Y_e < 0.1$ (Foucart+ '13-18, Kyutoku+ '18)
- Typical velocity: 0.15-0.25 c; max could be ~ 0.8 c

Post-merger ejecta properties

\bullet Mass: M_{eie}

- <u>BH formation case</u>: $\sim 10^{-3} 10^{-2} M_{sun}$ (Fernandez & Metzger '13 —15, Just+ '15, Siegel-Metzger '17, 18, Fernandez '18)
- <u>MNS formation case</u>: > $10^{-2} M_{sun}$ (Metzger & Fernandez '14, Fujibayashi+'18)

• Electron fraction: Y_{e}

- <u>BH formation case</u>: $Y_{e} \sim 0.1 0.3 \rightarrow$ efficient r-process nucleosynthesis & high opacity (κ ~10 cm²/g, red)
- <u>MNS formation case</u>: $Y_{e} > 0.25 \rightarrow$ light r-process, low opacity ($\kappa \sim 0.1 \text{ cm}^2/\text{g}$, blue)



◆ Typical velocity: < 0.1 c; magnetic wind/MNS viscous effect may enhance up to ~ 0.2 c (Siegel & Metzger '17, 18, Fernandez+ '18, Fujibayashi+ '18)

V Next events ?

	Dynamical ejection	Post-merger ejection
1. Low-mass NS-NS → long-lived MNS	$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$	$ \begin{array}{c} M \sim 10^{-2} - 10^{-1} M_{sun} \\ Y_e \sim 0.3 - 0.5 \end{array} $
2. NS-NS→HMNS (e.g., GW170817)	$ \begin{vmatrix} M \sim 10^{-3} - 10^{-2} M_{sun} \\ Y_e \sim 0.05 - 0.5 \end{vmatrix} $	$ \begin{array}{l} M > 10^{-2} M_{sun} \\ Y_{e} \sim 0.2 - 0.5 \end{array} $
3. NS-NS \rightarrow BH (assume not very asymmetric)	$ \begin{array}{l} M < \sim 10^{-3} \ M_{sun} \\ Y_e < \sim 0.1 \end{array} $	$M < 10^{-3} M_{sun}$ $Y_e <~ 0.1$
4. BH-NS with tidal disruption and/or asymmetric NS-NS	$\begin{vmatrix} M \sim 10^{-3} - 10^{-1.5} M_{sun} \\ Y_e < 0.1 \end{vmatrix}$	$\begin{vmatrix} M \sim 10^{-3} - 10^{-1.5} M_{sun} \\ Y_e \sim 0.1 - 0.25 \end{vmatrix}$
	Dynamical ejection	Post-merger ejection
--	--	--
1. Low-mass NS-NS → long-lived MNS	M ~ 10^{-3} - $10^{-2.5}$ M _{sun} Y _e ~ 0.05-0.5 Red, not luminous	$ \begin{array}{l} M \sim 10^{-2} - 10^{-1} M_{sun} \\ Y_e \sim 0.3 - 0.5 \\ \text{Blue, very luminous} \end{array} $
2. NS-NS→HMNS (e.g., GW170817)	$M \sim 10^{-3} - 10^{-2} M_{sun}$ $Y_e \sim 0.05 - 0.5$	$M > 10^{-2} M_{sun}$ Y _e ~ 0.2—0.5
3. NS-NS → BH (assume not very asymmetric)	$M < \sim 10^{-3} M_{sun}$ $Y_e < \sim 0.1$	$M < 10^{-3} M_{sun}$ $Y_e <~ 0.1$
4. BH-NS with tidal disruption and/or asymmetric NS-NS	$M \sim 10^{-3} - 10^{-1.5} M_{sun}$ Y _e <~0.1	$ \begin{vmatrix} M \sim 10^{-3} - 10^{-1.5} M_{sun} \\ Y_e \sim 0.1 - 0.25 \end{vmatrix} $



	Dynamical ejection	Post-merger ejection
1. Low-mass NS-NS → long-lived MNS	$ \begin{array}{c} M \sim 10^{-3} - 10^{-2.5} M_{sun} \\ Y_e \sim 0.05 - 0.5 \\ \text{Red, not luminous} \end{array} $	$ \begin{array}{l} M \sim 10^{-2} - 10^{-1} M_{sun} \\ Y_e \sim 0.3 - 0.5 \\ \text{Blue, very luminous} \end{array} $
2. NS-NS→HMNS (e.g., GW170817)	$ \begin{array}{c} M \sim 10^{-3} - 10^{-2} M_{sun} \\ Y_{e} \sim 0.05 - 0.5 \\ \text{Late Red, luminous} \end{array} $	
3. NS-NS \rightarrow BH (assume not very asymmetric)	$M < \sim 10^{-3} M_{sun} Y_e < \sim 0.1$	$M < 10^{-3} M_{sun} Y_e <~ 0.1$
4. BH-NS with tidal disruption and/or asymmetric NS-NS	$ \begin{array}{l} M \sim 10^{-3} - 10^{-1.5} M_{sun} \\ Y_e < \sim 0.1 \end{array} $	$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$



	Dynamical ejection	Post-merger ejection
1. Low-mass NS-NS → long-lived MNS	$ \begin{array}{c} M \sim 10^{-3} - 10^{-2.5} M_{sun} \\ Y_e \sim 0.05 - 0.5 \\ \text{Red, not luminous} \end{array} $	$ \begin{array}{l} M \sim 10^{-2} - 10^{-1} M_{sun} \\ Y_e \sim 0.3 - 0.5 \\ \text{Blue, very luminous} \end{array} $
2. NS-NS→HMNS (e.g., GW170817)	$ \begin{array}{c} M \sim 10^{-3} - 10^{-2} M_{sun} \\ Y_e \sim 0.05 - 0.5 \\ \text{Late Red, luminous} \end{array} $	
3. NS-NS \rightarrow BH (assume not very asymmetric)		$M < 10^{-3} M_{sun}$ $Y_e < 0.1$ Faint
4. BH-NS with tidal disruption and/or asymmetric NS-NS	$M \sim 10^{-3} - 10^{-1.5} M_{sun}$ Y _e <~0.1	$M \sim 10^{-3} - 10^{-1.5} M_{sun}$ Y _e ~ 0.1-0.25



	Dynamical ejection	Post-merger ejection
1. Low-mass NS-NS → long-lived MNS	$ \begin{array}{c} M \sim 10^{-3} - 10^{-2.5} M_{sun} \\ Y_e \sim 0.05 - 0.5 \\ \text{Red, not luminous} \end{array} $	$ \begin{array}{ c c c c c c c c c c c c c c c c c c c$
2. NS-NS→HMNS (e.g., GW170817)	$ \begin{array}{l} M \sim 10^{-3} - 10^{-2} M_{sun} \\ Y_{e} \sim 0.05 - 0.5 \\ \text{Late Red, luminous} \end{array} $	$ \begin{array}{l} M > 10^{-2} \ M_{sun} \\ Y_{e} \sim 0.2 - 0.5 \\ \hline \text{Early Blue, luminous} \end{array} $
3. NS-NS \rightarrow BH (assume not very asymmetric)	$ \begin{array}{l} M < \sim 10^{-3} \ M_{sun} \\ Y_e < \sim 0.1 \\ \hline \text{Faint Red} \end{array} $	
4. BH-NS with tidal disruption and/or asymmetric NS-NS		$ \begin{vmatrix} M \sim 10^{-3} - 10^{-1.5} M_{sun} \\ Y_e \sim 0.1 - 0.25 \\ Late Red, \\ Could be luminous \end{vmatrix} $





Viewing angle dependence



Hopefully, next several events will give us information on whether our understanding is correct or not !

Unsolved issue: longterm evolution of massive neutron star (> 10 seconds)

 $\rho_{disk} \sim 10^{11} \text{ g/cm}^3 \rightarrow \rho_{disk} \sim 10^8 \text{ g/cm}^3 \rightarrow$

$$\rho_{\rm disk} < 10^3 {\rm g/cm^3}$$
 ?

Viscous evolution $\tau < \sim 10 \text{ s}$?

Propeller evolution $\tau \sim 10-100 \text{ s}$? Angular momentum transport from MNS to disk by magnetic torque through winding \rightarrow Disk is ejected ? Magnetic dipole radiation $\tau > \sim 100 \text{ s}$? Angular momentum loss by EM radiation

 $P_{\text{rot}}=1 \text{ ms} \rightarrow R_{\text{corot}}=300 \text{km}$ Force free for $r < R_{\text{corot}}$

Magnetar-engined ejecta

• Rotational kinetic energy and luminosity by dipole radiation

$$\begin{split} T_{\rm rot} &\approx 1.1 \times 10^{53} \ {\rm ergs} \left(\frac{M_{\rm MNS}}{2.5M_{\odot}} \right) \left(\frac{R}{15 \ \rm km} \right)^2 \left(\frac{\Omega}{7000 \ \rm rad \, / \, s} \right)^2 \\ L_{\rm mag} &\approx 1.7 \times 10^{50} \ {\rm ergs/s} \left(\frac{B_P}{10^{15} \rm G} \right)^2 \left(\frac{R}{15 \ \rm km} \right)^6 \left(\frac{\Omega}{7000 \ \rm rad \, / \, s} \right)^4 \\ \Rightarrow \tau &\approx \frac{T_{\rm rot}}{L_{\rm mag}} \approx 650 \ {\rm s} \left(\frac{B_P}{10^{15} \rm G} \right)^{-2} \left(\frac{M_{\rm MNS}}{2.5M_{\odot}} \right) \left(\frac{R}{15 \ \rm km} \right)^{-4} \left(\frac{\Omega}{7000 \ \rm rad \, / \, s} \right)^{-2} \end{split}$$

• This luminosity could accelerate the ejecta to be relativistic speed because T_{rot} is comparable to $M_{eje}c^2$; but details are not known

How GRB is launched and what is the effect to kilonova ?

- GRB is likely to be launched after dynamical ejecta
- Cocoon could affect the ejecta motion
- Cocoon could shine in the early time in UV and optical band

